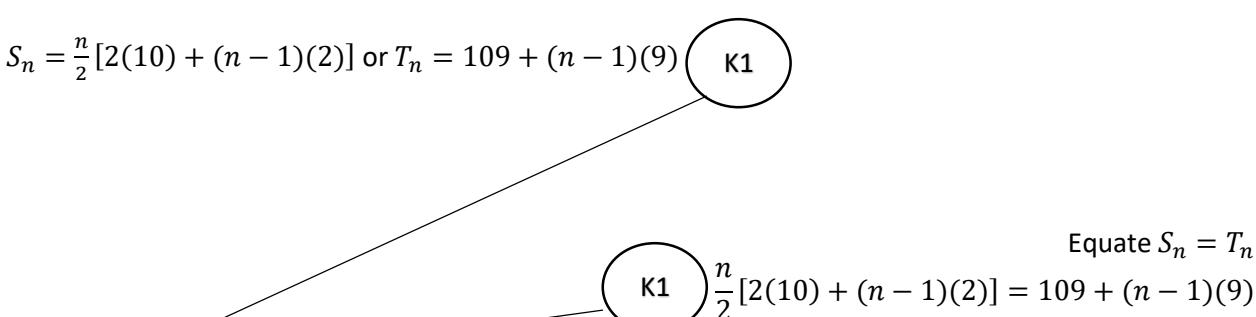
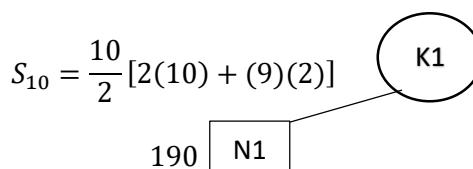
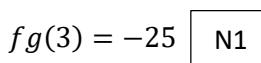
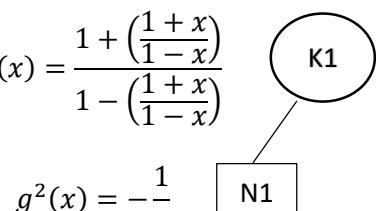
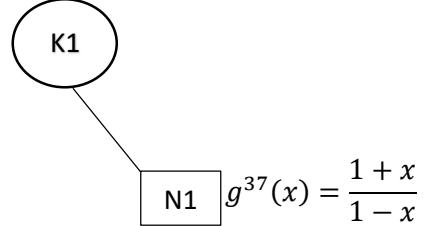
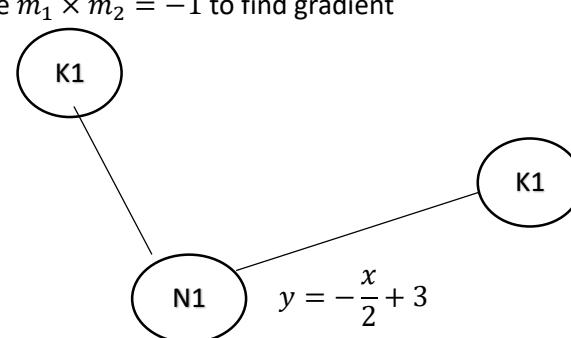


	Skema pemarkahan	
1	<p>a). Use S_n or T_n</p> <p>$S_n = \frac{n}{2}[2(10) + (n-1)(2)]$ or $T_n = 109 + (n-1)(9)$</p>  <p>OR listing method</p> <p>$P=10, 22, 36, 52, 70, 90, 112, 136, 162, 190$ $Q=109, 118, 127, 136, 145, 154, 163, 172, 181, 190$</p> <p>b). Use S_n</p> <p>$S_{10} = \frac{10}{2}[2(10) + (9)(2)]$</p>  <p>OR listing method</p>	5
2	<p>a). i). $fg(3) = 3(1 - 3(3)) - 1$</p> <p>ii). Find inverse of $f(x)$, $f^{-1}(x) = \frac{x+1}{3}$</p>  <p>$f^{-1}g(5) = \frac{(5+3)+1}{3}$ $f^{-1}g(5) = 3$</p> <p>b). i).</p> <p>$g^2(x) = \frac{1 + \left(\frac{1+x}{1-x}\right)}{1 - \left(\frac{1+x}{1-x}\right)}$</p>  <p>ii). $g^4(x) = * - \frac{1}{\left(\frac{-1}{x}\right)}$</p> <p>$g^4(x) = x$</p>	5

	<p>iii). $*g^4(x) = x$ and use $g^{36}(x) = g^4(x)$</p> 	
3	<p>a). $t = 4$ P1</p> <p>Equation of OA and use $m_1 \times m_2 = -1$ to find gradient $y = 2x$ Or other valid method</p>  <p>Substitute (2,* 4) into equation $* 4 = -\frac{1}{2}(2) + c$</p>	8
b).	<p>Use point $C (-4, y)$ and $ZC = ZA$</p> $\sqrt{(x - (-4))^2 + (y - y)^2} = \sqrt{(x - 2)^2 + (y - * 4)^2}$ <p>OR other valid method</p> 	6
4	<p>Find / construct equation</p> $\frac{y+3}{4} = x^2$ N1 $x - 2 = 5 - y$ N1 <p>$y = 7 - x$ or $x = 7 - y$ P1</p> <p>Substitute $y = 7 - x$ or $x = 7 - y$ into $\frac{y+3}{4} = x^2$</p> $\frac{*(7-x)+3}{4} = x^2 \text{ or } \frac{y+3}{4} = * (7 - y)^2$ K1 <p>$x = -1.711, y = 8.711$ N1</p> <p>$x = 1.461, y = 5.539$ N1</p>	<p>Use formulae</p> $y = \frac{- * (-57) \pm \sqrt{* (-57)^2 - 4(* 4)(* 193)}}{2(* 4)}$ <p>Or other valid method</p>

<p>5 a). Use trigonometry to find O to PS</p> $\sin a = \frac{10}{15}$ $\angle POS = \frac{83.62^\circ}{180^\circ} \times \pi$ <p style="text-align: right;">1.4596 N1</p> <p>b). Use trigonometry to find BY,</p> $BY = OY - OB$ $OB = \frac{10}{\tan * 41.81^\circ}$ <p>Or</p> $OB = \sqrt{15^2 - 10^2}$ $BY = 15 - * 8.944$ <p style="text-align: right;">N1</p> <p>Find YM,</p> $YM = BM - BY$ $YM = 20 - * 3.8195$ <p style="text-align: right;">16.1805 N1</p> <p>c).</p> <p>Find area of chord PSY</p> $\frac{1}{2}(15)^2(* 1.4596 - \sin * 83.62^\circ)$ <p style="text-align: right;">K1</p> <p style="text-align: right;">Area of section PYSRQ = area of PQRS - area of chord * PSY 20 × 20 - * 52.4</p> <p style="text-align: right;">K1</p> <p style="text-align: right;">347.6cm² N1</p>	
<p>6 a). Find radius of water surface using Pythagoras theorem</p> $x = \sqrt{8^2 - (8 - h)^2}$ <p style="text-align: right;">K1</p> <p style="text-align: right;">N1 Area of water surface = $\pi(16h - h^2)$</p>	8

b). Differentiate $A = \pi(16h - h^2)$

$$\frac{dA}{dh} = 16\pi - 2\pi h$$

K1

N1

$$0.8\pi \text{ cm}^2 \text{s}^{-1}$$

Use chain rule and substitute $h = 6$

$$\frac{dA}{dt} = \frac{dA}{dh} \times \frac{dh}{dt}$$

$$\frac{dA}{dt} = \pi(16 - 2(6)) \times 0.2$$

c). $\frac{dV}{dt} < 0$

N1

6

7 a). Substitute trigonometry by using

$$\operatorname{sek} A = \frac{1}{\cos A} \text{ and } \tan A = \frac{\sin A}{\cos A}$$

$$\frac{1 + \frac{1}{\cos A}}{\frac{\sin A}{\cos A} + \sin A}$$

K1

N1

$$\frac{1}{\sin A} = \operatorname{kosec} A$$

Find basic angle

$$\sin A = \frac{1}{3}$$

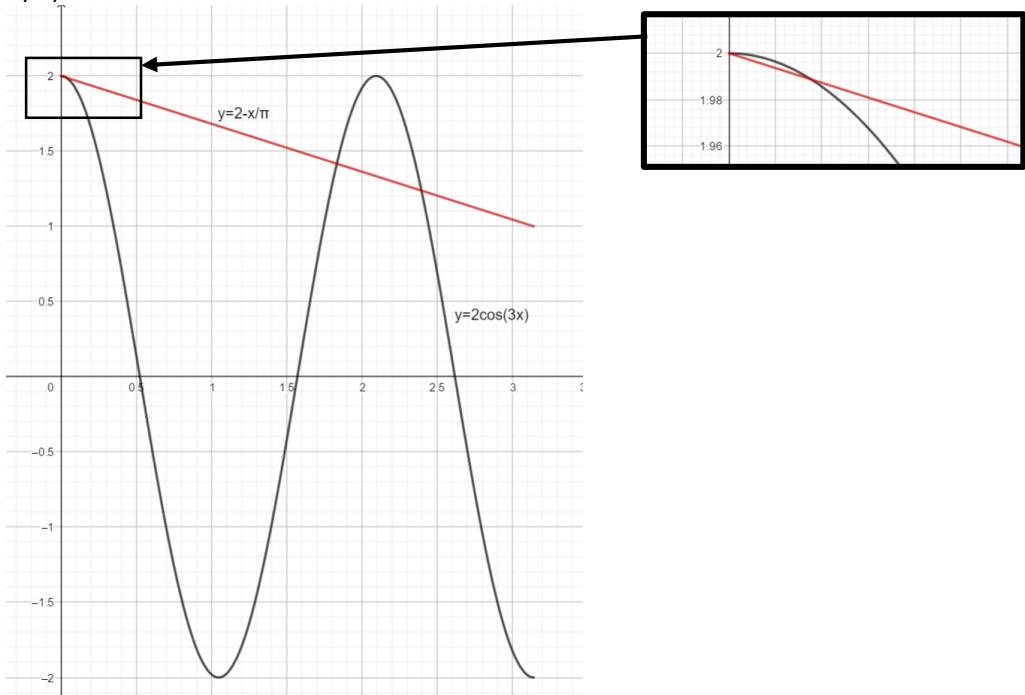
$$\text{basic angle} = 19.47^\circ$$

K1

N1

$$A = 19.47^\circ, 160.53^\circ.$$

b). i).

Graph of $\cos x / \sin x$

N1

Amplitude = 2

N1

1.5 cycle for $0 \leq x \leq \pi$

N1

ii). Equation of straight line $y = 2 - \frac{x}{\pi}$

P1

No of solution = 4

N1

K1

Sketch the graph of straight line

10

8

a). i). Use triangle law and find \vec{BD} ,

$$\vec{BD} = \vec{BA} + \vec{AD}$$

$$-\underset{\sim}{x} + \underset{\sim}{y}$$

N1

ii). Substitute $\vec{BD} = -\underset{\sim}{x} + \underset{\sim}{y}$ and find \vec{BF}

$$\vec{BF} = \frac{2}{5} * \left(-\underset{\sim}{x} + \underset{\sim}{y} \right)$$

Use triangle law and find \vec{AF}
 $\vec{AF} = \vec{AB} + \vec{BF}$

N1

$$\frac{3}{5}\underset{\sim}{x} + \frac{2}{5}\underset{\sim}{y}$$

b). i). Find \overrightarrow{AC} and use $\overrightarrow{AC} = \frac{\overrightarrow{AF}}{m}$,

$$\overrightarrow{AC} = \frac{3}{5m} \hat{x} + \frac{2}{5m} \hat{y}$$

K1

Use triangle law to find \overrightarrow{DC}

$$\overrightarrow{DC} = \overrightarrow{DA} + \overrightarrow{AC}$$

N1

$$\overrightarrow{DC} = \frac{3}{5m} \hat{x} + \left(\frac{2}{5m} - 1 \right) \hat{y}$$

ii). Use triangle law to find \overrightarrow{DC} and use $\overrightarrow{BC} = \frac{n\overrightarrow{AD}}{5}$

$$\overrightarrow{DC} = \overrightarrow{DB} + \overrightarrow{BC}$$

$$\hat{x} + \left(\frac{n}{5} - 1 \right) \hat{y}$$

N1

c). Equate \hat{x}

$$\frac{3}{5m} = 1$$

K1

N1 $m = \frac{3}{5}$

Equate coefficient \hat{y} and substitute $m = \frac{3}{5}$

$$\frac{2}{5 * \left(\frac{3}{5}\right)} - 1 = \frac{n}{5} - 1$$

K1

N1 $n = \frac{10}{3}$

10

9 a). i). Use Binomial formulae and find $P(X = 1)$

$${}^5C_1(0.6)(0.4)^4$$

K1

N1 0.0768

ii). Use Binomial formulae

$$P(X = 0) = {}^5C_0(0.4)^0(0.6)^5$$

K1

$$P(X < 3) = P(X = 0) + P(X = 1) + P(X = 2)$$

$${}^5C_0(0.4)^0(0.6)^5 + {}^5C_1(0.4)^1(0.6)^4 + {}^5C_2(0.4)^2(0.6)^3$$

OR

$${}^5C_3(0.6)^3(0.4)^2 + {}^5C_4(0.6)^4(0.4)^1 + {}^5C_5(0.6)^5$$

K1

N1 0.3174

b). i). Use $Z = \frac{x-\mu}{\sigma}$,

$$P(X < 2) = 1 - P\left(Z > \frac{2 - 1.5}{0.2}\right)$$

K1

$$P(Z < 2.5) = 0.9938$$

N1

ii). Find inverse normal from the area under z-score graph

K1

$$N1 \quad m = 1.423$$

Equate $Z = \frac{x-\mu}{\sigma}$ with the value of x-axis.

$$\frac{m - 1.5}{0.2} = * -0.385$$

10

10 a). Equate the equation of straight line and the curve.

$$3x = -\frac{x^2}{2} + 8$$

$$x = -8, x = 2$$

K1

$$y = 3(2)$$

$$h = 2, k = 6$$

N1

Substitute $y = 0$ and find the value of x,

$$0 = -\frac{x^2}{2} + 8$$

$$x = \pm 4$$

N1

$$m = 4$$

b). Integrate $\int_{-8}^{2} -\frac{x^2}{2} + 8 dx$ and substitute limit

$$\left[\frac{-x^3}{6} + 8x \right]_2^4$$

K1

N1

$$\frac{38}{3} \text{ unit}^2$$

Find the area of triangle and add the area

$$\frac{1}{2}(2 \times 6) + \left[\frac{-x^3}{6} + 8x \right]_2^4$$

c). Integrate $\int_0^6 \pi(16 - 2y)dy$
and substitute limit y=0 and y=6.

K1

Find the volume of cone

$$\text{volume of cone} = \frac{1}{3}\pi(2)^2(6)$$

subtract

$$[16y - y^2]_0^6 - 8\pi$$

K1

N1

$$52\pi$$

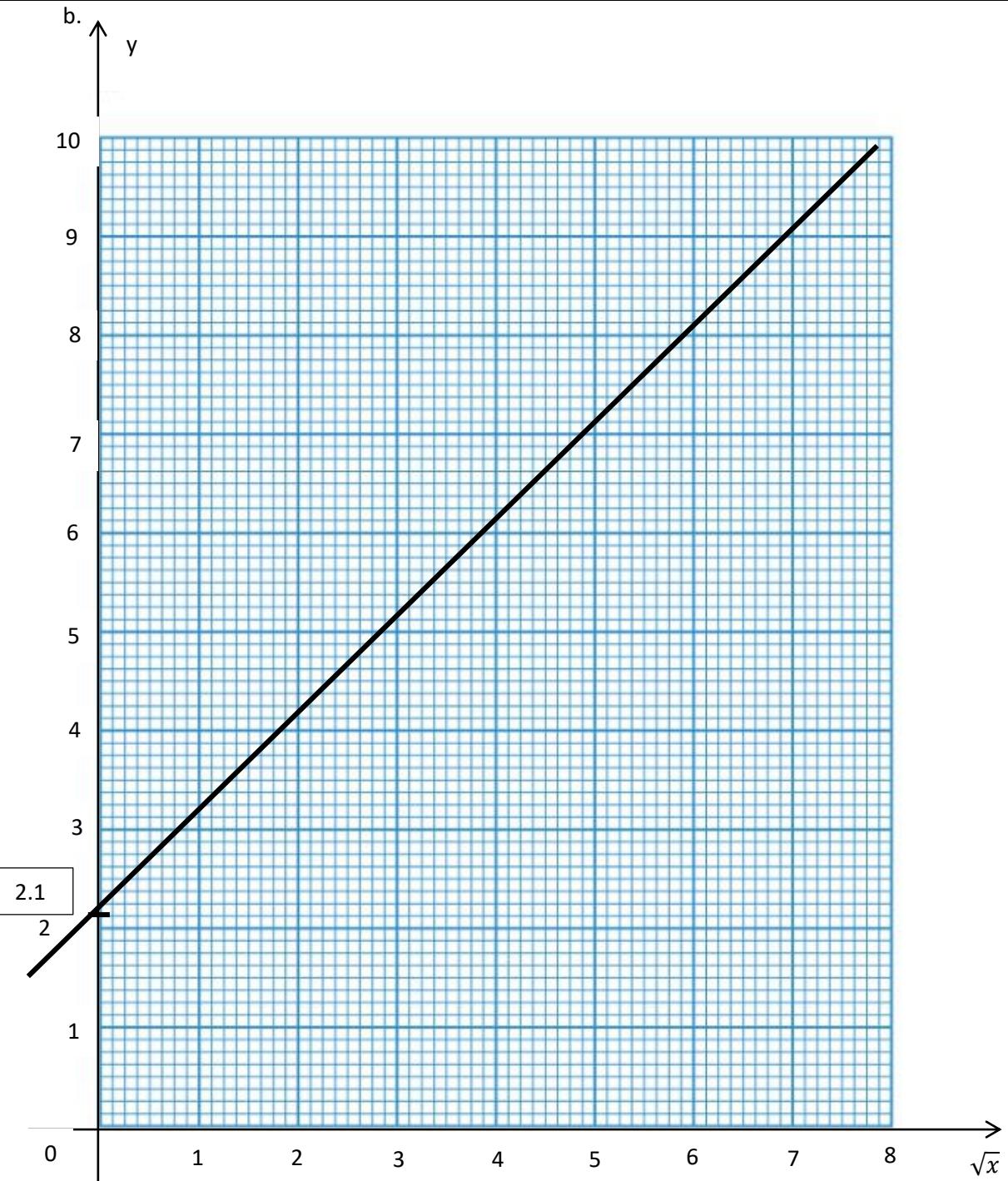
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11. a

\sqrt{x} .	3.16	4.47	5.48	6.32	7.07	7.75
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Table for the values of \sqrt{x}

N1



Correct axes, uniform scale and one point correctly plotted

All points correctly plotted

Line of best fit

$$\text{c. i. } y = 5a\sqrt{x} + b$$

P1

K1

N1

N1

ii. use $b = y$ -intercept

K1

N1

$$b = 2.1$$

Find and equate gradient with $5a$

K1

N1

$$a = 0.196$$

iii. $x = 36$

N1

10

12 a). Find first equation when $t = 4, v = 0$,
 $16p + 4q = 0$

P1

Find second equation when $t = 1, a = -2$
 $2p + q = -2$

P1

Solve simultaneous equation

$$16p + 4q = 0 \text{ and } 2p + q = -2$$

K1

N1

$$p = 1, q = -4$$

b). Differentiate V and equate to 0 and find time for turning point.

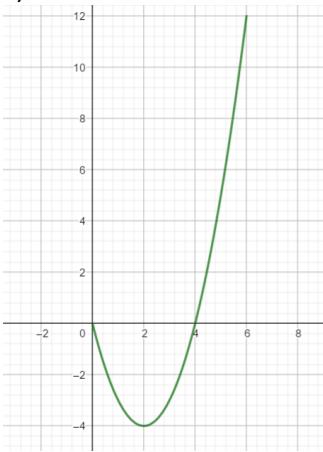
$$t^2 - 4t < 0,$$

K1

$$0 < t < 4$$

N1

c).



d). Integrate $\int_3^4 t^2 - 4t \, dt$

K1

N1

Substitute limit $t=3$ and $t=4$

$$\left[\frac{4^3}{3} - \frac{4(4)^2}{2} \right] - \left[\frac{3^3}{3} - \frac{4(3)^2}{2} \right]$$

N1 $1\frac{2}{3}$

10

13

a). i). $P_{2014} = \frac{105 \times 75}{100}$

K1

N1

$$P_{2014} = RM78.75$$

ii). $P_{2008} = \frac{183 \times 100}{122}$

K1

N1

$$P_{2008} = 150$$

b). Equate

$$108 = \frac{110 \times 3 + 105 \times m + 120 \times m + 102 \times 2m}{3 + 4m}$$

K1

$$m = 2$$

N1

P1

Use ratio 3::2::2::4

Find $\bar{I}_{\frac{15}{08}}$,

$$\bar{I}_{\frac{15}{08}} = \frac{112 \times 3 + 107 \times 2 + 122 \times 2 + 107 \times 4}{* 11}$$

OR

$$\frac{(* 101.82 \times 3) + (101.9 \times 2) + (* 101.67 \times 2) + (* 104.9 \times 4)}{* 11}$$

Find $I_{\frac{15}{14}}$ for P, Q, R and S, (101.82, 101.9, 101.67, 104.9)

$$\bar{I}_{\frac{15}{14}} = \frac{111.09}{108} \times 100$$

K1

N1

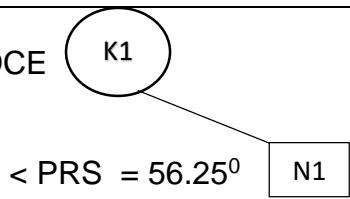
$$\bar{I}_{\frac{15}{14}} = 102.86 \leftrightarrow 102.93$$

10

14

(i) Use cos rule

$$13^2 = 12^2 + 15^2 - 2(12)(15)\cos \angle DCE$$



N1

(ii) Find $\angle BCA$,

$$\begin{aligned} \angle BCA &= 180^\circ - 56.25^\circ \\ &= 123.75^\circ \end{aligned}$$

K1

$$BC = 18.04 \text{ cm}$$

N1

$$\frac{BC}{\sin 30^\circ} = \frac{30}{\sin 123.75^\circ}$$

Use sin rule

K1

$$\begin{aligned} \text{(iii)} \quad \angle ABC &= 180^\circ - 30^\circ - (180^\circ - 56.25^\circ) \\ &= 26.25^\circ \end{aligned}$$

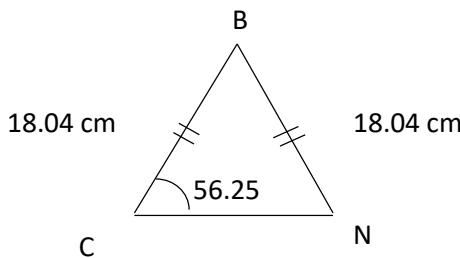
Use formulae area of triangle

$$\text{Area of } \triangle ABC = \frac{1}{2}(30)(18.04) \sin 26.25^\circ$$

$$\boxed{\text{N1}} = 119.68 \text{ cm}^2$$

K1

(b)

Find $\angle NBC$

$$\begin{aligned} \angle NBC &= 180^\circ - 2(56.25^\circ) \\ &= 67.50^\circ \end{aligned}$$

K1

$$\boxed{\text{N1}} \quad BC = 20.0453 \text{ cm}$$

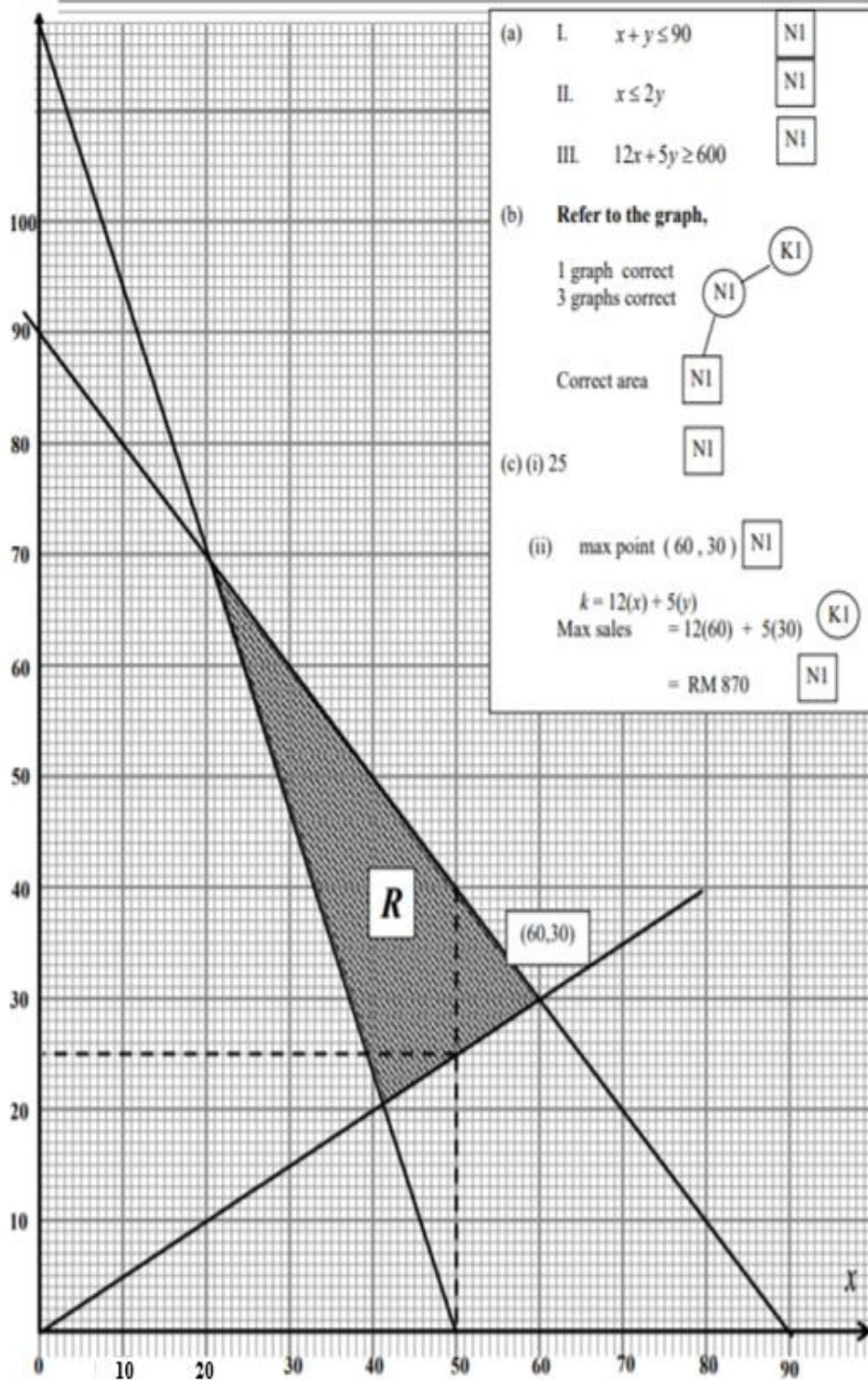
Use sin rule OR cos rule

$$\frac{CN}{\sin 67.50^\circ} = \frac{18.0403}{\sin 56.25^\circ}$$

K1

15

y



(a)	I.	$x + y \leq 90$	N1
	II.	$x \leq 2y$	N1
	III.	$12x + 5y \geq 600$	N1
(b) Refer to the graph,			K1
1 graph correct			N1
3 graphs correct			
Correct area			N1
(c) (i) 25			N1
(ii) max point (60, 30) N1			K1
$k = 12(x) + 5(y)$			
Max sales = $12(60) + 5(30)$			N1
$= \text{RM } 870$			

10